# A High-Order Infective Countermeasure Framework

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Faults are a serious threat in cryptographic implementations.

Attacker's goal: getting an erroneous output that leaks the secret key.

Dealing with **block ciphers**, two strategies in state of the art to avoid it:

- Detection
- Infection



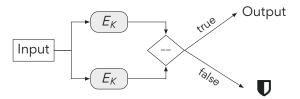
Introduction

#### **Detection**

#### **Principle**

The algorithm is run twice and the outputs are compared.

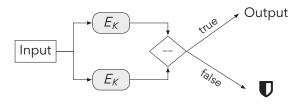
If different, an appropriate measure is taken (for instance, no output).



#### **Principle**

The algorithm is run twice and the outputs are compared.

If different, an appropriate measure is taken (for instance, no output).



#### But...

Comparison can be corrupted by an extra fault.

#### Infection

Introduction

#### **Principle**

The algorithm's output is corrupted by an amplified error.

No need for comparison and non-informative output.

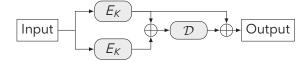
#### But...

How to amplify the error in practice?



Infection today

■ External infection

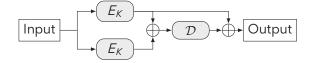




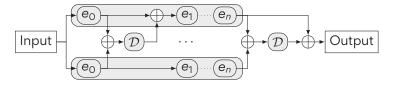




■ External infection

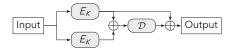


■ Internal infection

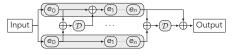




External infection



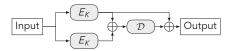
· Internal infection



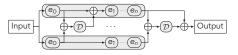
Almost all propositions up to now are broken.



External infection



• Internal infection



#### Almost all propositions up to now are broken.

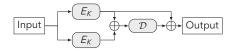
Either because of:

- $\blacksquare$  A deterministic  $\mathcal{D}$ ,
- $\blacksquare$  Or an invertible  $\mathcal{D}$ ,
- lacksquare Or a low-diffusion  $\mathcal{D}$ .

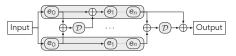




· External infection



Internal infection

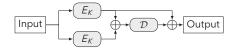


In a secure scheme,  $\mathcal{D}$  should be:

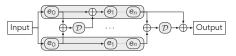
- √ Non-deterministic
- ✓ And non-invertible
- ✓ And with high-diffusion capacity



External infection



· Internal infection



In a secure scheme,  $\mathcal{D}$  should be:

- √ Non-deterministic
- ✓ And non-invertible
- ✓ And with high-diffusion capacity

Hard to find such  $\mathcal D$  with the constraint  $\mathcal D(\mathsf O)=\mathsf O$ 

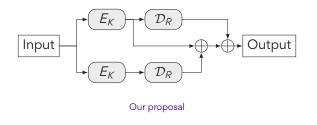


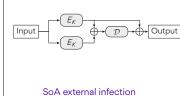




#### Principle of our framework

External infection but the infective value is  $\Delta \mathcal{D}(E_K)$  instead of  $\mathcal{D}(\Delta E_K)$ 

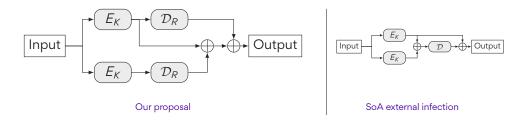






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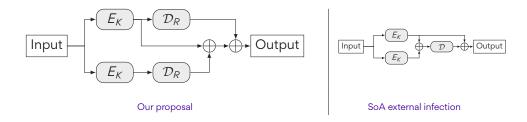


- Constraint  $\mathcal{D}(0) = 0$  removed
  - $\Rightarrow \mathcal{D}$  can be a hash function: *non-invertibility* and *high diffusion* achieved

# $\langle \langle \rangle \rangle$

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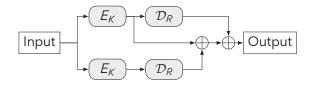
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  - $\implies \mathcal{D}$  can be a hash function: *non-invertibility* and *high diffusion* achieved
- $\blacksquare$  R: random value seeding  $\mathcal{D}$ : non-determinism constraint fulfilled





# Principle of our framework

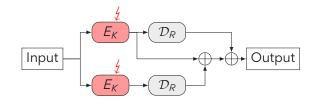
Secure only against one fault!





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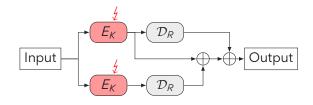
Output = 
$$E_K^{\sharp} \oplus \mathcal{D}(E_K^{\sharp}) \oplus \mathcal{D}(E_K^{\sharp})$$
  
=  $E_K^{\sharp}$ 



A new framework

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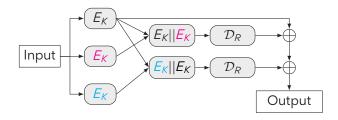
Secure only against one fault!



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How to get secure against several faults?



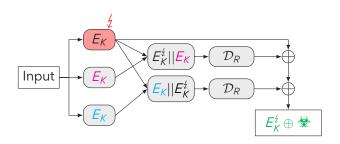






# A new framework

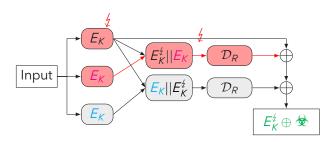
#### Improved construction







# Improved construction

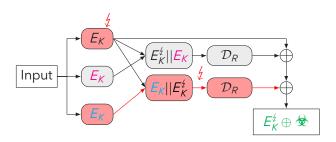






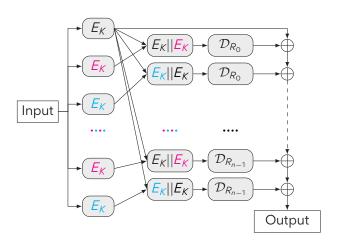


#### Improved construction





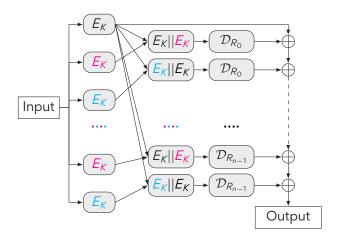






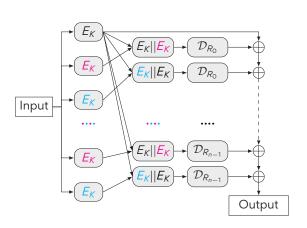
A new framework

#### Extension against 2n faults



 $\blacksquare$  R is changed from a couple of  $\mathcal{D}$ 's to another



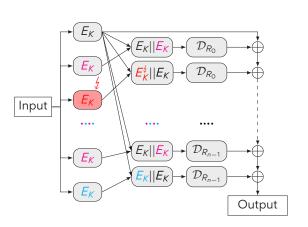


Scheme is **proven secure** in the paper

Attacker model

Per fault, the attacker:





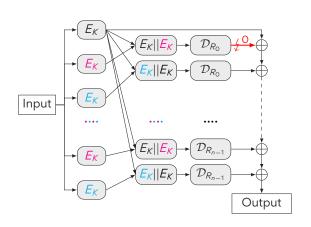
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■ Can corrupt one  $E_K$ ,





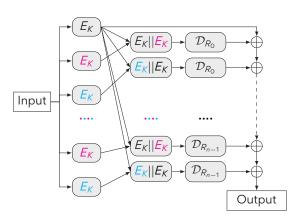
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Per fault, the attacker:

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#### Attacker model

Per fault, the attacker:

- Can corrupt one  $E_K$ ,
- Or stick at 0 one input of one XOR.

#### And $\mathcal D$ is supposed:

- √ Non-invertible,
- ✓ To have a *high-diffusion* capacity.

# Conclusion

- Identification of some common flaws in the propositions of the state of the art
- Proposal of a new solution taking into account our observations
- First proposal of an infective scheme allowing one to resist several-fault attacks
- Security proof of our solutions provided in the paper
- lacktriangle Open question: find the best suited  $\mathcal D$  that meets the scheme's constraints